# Small Molecule Computing



### Early Computing The 1950's

Most of the crystallographic 'computers' at this period were electro-mechanical analogue machines, using technology originally developed for military purposes.

Data were input via dials or other mechanical adjustments.

#### Help with the Calculations

A.D. Booth, 1948

Mechanical, electrical, electromechanical and optical devices were built to help with computation of trigonometric functions and the summation of series.



with A whereas C can rotate inside A. The induced current in the system BC is thus

 $(B_n + C_n \cos \theta) \cos 2\pi \varpi t,$ 

where  $\theta$  is the angle through which the axis of *C* has been turned with respect to that of *A*;  $B_n, C_n$ , coefficients of induction and  $\varpi$ <sup>-1</sup>



beet to that  $\overline{}$  Fig. 6.15. Electromagnetic cosine resolver.

the frequency of the supply to A. By having Cosine resolver. a greater number of turns on B than on C,  $B_n > C_n$  so that no phase reversal can occur.

# Early Computing

Later, punched card accounting machines were co-opted for the computation of Fourier maps.

Data were input on Hollerith punched cards. The 80-column legacy is only slowly dying. Until recently, lines in a CIF were limited to 80 characters, including trailing blanks.

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Fig. 6.21. Hollerith sorting machine.

# Early Computing – 1952



**Computing Methods and the Phase Problem in X-ray Crystal Analysis, 1952** 

#### Ed Ray Pepinsky



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# Early Computing

Electron density map displayed on X-RAC, David Sayre making some adjustments

X-RAC and S-FAC



Fig. 72 - X-RAC map of phthalocyanine

## Fourier Modification 2008

The charge flipping algorithm Gabor Oszlanyi and Andras Suto Acta Cryst. (2008). A64, 123–134

"This paper summarizes the current state of charge flipping, a recently developed algorithm of ab initio structure determination. Its operation is based on the perturbation of large plateaus of low electron density but not directly on atomicity. Such a working principle radically differs from that of classical direct methods"

### Early Computing – Fourier Modification - 1952

These were adventurous times in which anything might be possible if one was inventive enough.

Fred Ordway, in "Crystallographic Calculations by High-speed Digital Computers" (1952) wrote

"A procedure involving successive Fourier inversions, with elimination of negative excursions of the electron density function at each step, has been coded but not yet tried"

Addition, subtraction	0.0009 sec
Multiplication, Division	0.003 sec
Square Root	0.05 sec
Binary to decimal conversion	0.1 sec

## Electronic Computers - 1961



In less than ten years, analogue machines had disappeared, and were replace by digital calculators.

The second '*Computing Methods*' meeting laid out the foundations of almost every computation we do today.

Languages varied from simple autocodes to Algol

# Phase Problem (1961)

28 papers presented at this seminal meeting.

10 were concerned with solving the Phase Problem

- 4 by Patterson Methods
- 3 by Direct Methods
- 1 by Isomorphous Replacement
- 1 by Anomalous Dispersion
- 1 by Monte Carlo Methods

### Monte Carlo 1994 Shake-n-bake

#### Structure Solution by Minimal-Function Phase refinement and Fourier Filtering. II. Implementation and Applications

By Charles M. Weeks, George T. Detitta And Herbert A. Hauptman Acta Cryst. (1994). AS0, 210-220

A trial structure or model is generated that is comprised of a number of randomly positioned atoms and their symmetry-related mates sufficient to specify the origin and enantiomorph for the space group in question. The starting coordinate sets are

## Monte Carlo Methods

#### The Use of a Monte Carlo Method in X-ray Structure Analysis

V. Vand and A. Niggli

Computing Methods and the Phase Problem, 1961

"the direct application to crystal structures, consisting of emitting a large number of random structures and comparing their structure factors with [the observed] ones of the structure to be solved, seems to be inapplicable owing to the low probability of a sufficiently close hit."

The random structures and a subset of the complete data were partially refined by the "Optimal Shift Method". Structures giving a fair agreement were used to phase the full data set.

# MULTAN 1970

The development of multi-solution tangent formula programs for solving the phase problem quickly displaced most other strategies for small molecular structures.

The speed of computers, random-start methods and powerful discriminators against false solutions made much of the theoretical development of the previous decades redundant.

#### Direct Methods (1976)

In 1976 structure solution by hand was co-existing with the new multi-solution programs.



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	$ \begin{pmatrix} \overline{1} & \overline{4} & 2 & + \\ 3 & \overline{5} & \overline{8} & bd \\ 2 & \overline{9} & \overline{6} & bd \\ 1 & 0 & \overline{8} & b \\ 1 & \underline{9} & 2 & d \\ \end{pmatrix} $	(50) $\begin{cases} 2 \ 1 \ 4 \ + \\ \frac{1 \ 1 \ 1}{3 \ 2 \ 5} \ bc \\ 2 \ \overline{8} \ 3 \ bcd \\ \frac{110 \ 2}{3 \ 2 \ 5} \ bc \\ 2 \ \overline{4} \ \overline{1} \ bd \\ \frac{16 \ 6}{3 \ 2 \ 5} \ cd \\ \end{cases} $
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ISABELLA L. KARLE

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#### Automation 1970

#### Automatic solution of crystal structures

Methods have been developed by Ford, Hodgson, Rollett & Stonebridge (unpublished) for automatic solution of crystal structures. A Fourier map can frequently be produced, by Patterson or direct methods, which reveals the sites of some of the atoms of a structure. If a heavy atom is located with certainty, it can be put into the structure factor calculation with full, fixed weight. Other atoms can be put in with occupation numbers (individual scale factors) of zero, and the correctness of the sites tested by refinement of the occupation numbers by least squares. After three cycles the shifts have usually become small and the improved model can be used 15/68

#### Automatic Structure Analysis, 1991

Until the mid-1990's, we had been trying to build fully automated systems, e.g.

Automatic Solution and Refinement of Crystal Structures by Means of the Package UNIQUE Cascarano, Giacovazzo, Camalli , Spagna and Watkin. *Acta Cryst.* (1991). A47, 373-381

"An automatic procedure for crystal structure solution and refinement has been devised. It is able to take decisions at each critical point of the analysis by taking careful account of all information available at that point. The procedure has been implemented into the package *UNIQUE* (*CRYSTALS*+SIR88)"

We eventually realised that it was easier to teach chemists some basic crystallography than to teach programs sophisticated chemistry.

# A Turning Point

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The computing school in Twente (Netherlands) in 1978, perhaps marked the high point of computing schools.

Speakers discussed both their programming philosophies, and also the detailed algorithms used in their programs.

Mini-computers made their first serious appearance.

# The Period of Great Diversity

During the 1960's -1970's software for structure analysis was being developed in almost every Xray laboratory.

Even if one imported an established program such as ORFLS, it was often necessary to prepare small subroutines to deal with special cases. Users needed some programming skills.

# Widely Distributed Early Programs

FORDAP1962, ZalkinORFLS1962, Busing, Martin & LevyORFFE1964, Busing, Martin & LevyORTEP1965, JohnsonMULTAN1970, Germain, Main & Woolfson

#### Written in FORTRAN

See also IUCr World List of Crystallographic Computer Programs, Acta Cryst. (1962). 15, 1190."The present World List contains entries for 577 programs, many of which also appear in the ACA lists. Nearly all programs listed were in existence prior to 1 January 1962."

#### Systems

#### Improved Productivity Through Crystallographic Packages

Bert Frenz (1991<sup>†</sup>) argued convincingly that the productivity of a structure analyst can be increased if there is a smooth data-flow between the various utilities needed for the analysis.

The convenience for the user is obtained at the expense of complexity for the designer.

<sup>†</sup>Crystallographic Computing 5. Ed Moras, Podjarny & Thierry

# The Rise of the Systems

X-ray CRYSTALS XTL SHELX SDP **RONTGEN 75** DIRDIF **XTAL** CRYSTAN NRC-PDP8 **PLATON** GSAS NRCVAX

Molen

1963, Stewart, Kundell & Baldwin

- 1970, Carruthers and Spagna
- 1972, Sparks
- 1972, Sheldrick
- 1975, Okaya & Frenz
- 1975, Andrianov
  - 1975, Gould, van den Hark, Beurskens
- 1978, Hall & Stewart
- 1978, Burzlaff, Bohem & Gomm
  - 1978, Larson & Gabe (NRCVAX)
  - 1982, Spek (EUCLID)
- 1986, Larson & von Dreele
  - 1987, Gabe, Lee & Le Page
    - 1990, Fair

# and their Fall

By the mid 1990's systems were dying

#### **Extinct:**

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- X-ray 1963, Stewart, Kundell & Baldwin
- NRC-PDP8 1978, Larson & Gabe (NRCVAX)
  - NRCVAX 1987, Gabe, Lee & Le Page
- Molen 1990, Fair

#### Endangered:

DIRDIF

SDP

GSAS

- CRYSTALS 1970, Carruthers and Spagna
  - 1975, Gould, van den Hark, Beurskens
  - 1975, Okaya & Frenz
- XTAL 1978, Hall & Stewart
- PLATON 1982, Spek (EUCLID)
  - 1986, Larson & von Dreele

## Some Commercial Packages

Massive effort has been put into creating comprehensive commercial packages, yet most of them have faded away.

The costs of developing and maintaining software are enormous.

Robert Langridge, in his address at the special session entitled "Crystallographic Computing for the 1990's: What Can We Expect?" stated that *software maintenance represents* 75% of the cost over the lifetime of a computer system.

In other words, writing a new program is only a small part of the final cost if it is to remain in use over a long period.

### Built to Last

It might be thought that 'program systems', developed by a group of workers, would be the most durable because understanding of the inner working is distributed across the group.

Paradoxically, it turns out that the most portable and enduring software:

•has naïve input

•has plain-text output

•is focussed onto a narrow range of tasks

•was generally written or maintained by one person

•The "one person" has a secure research post

### Built to Last

Paradoxically, the most portable and enduring software has naïve input, plain-text output, is focussed onto a narrow range of tasks, and was generally written by one person.

Instead of a monolithic program, a more maintainable product consists of a range of modules which speak to each other through very simple, well defined, interfaces.

Each module can be developed more or less independently of the others.

### Maintainability & Understandability

Reciprocal Space Tutorial - George M. Sheldrick Siena, 2005

symmetry and reflection data all in free format. Trigonal bovine trypsin P3121 #152 CuKa 54.735 54.735 106.786 90 90 120 6 symops follow, then h,k,l,l and sig(l) 100010010.000.000 0 -1 0 1 -1 0 0 0 1 0.0 0.0 0.333333 -1 1 0 -1 0 0 0 0 1 0.0 0.0 0.6666667 0 1 0 1 0 0 0 0 -1 0.0 0.0 0.0 1 -1 0 0 -1 0 0 0 -1 0.0 0.0 0.6666667 -1 0 0 -1 1 0 0 0 -1 0.0 0.0 0.333333 22 -3 -41 21.38 3.27 -2 6 -12 162.92 11.71 -19 4 -32 81.44 6.82 -13 -9 -51 16.44 3.87 etc. 389596 reflections in total. terminated by the end of the file.

The task was to sort the reflections into a standard order, eliminate systematic absences, merge equivalent reflections and detect centric reflections.

The half-dozen solutions to the problem showed many differing virtues, from being very brief to expansive but selfexplanatory.

### Maintainability & Understandability

#### **Reciprocal Space Tutorial - George M. Sheldrick**

http://journals.iucr.org/iucr-top/comm/ccom/siena2005/notes.html

Author and Language	No. of pages		
George Sheldrick Fortran 77		3	
Tim Gruene C++			7
Michel Fodje C++		8	
Juan Rodriguez-Carvajal Fortra	an-95	5	
Bradley Smith Java		12	
Ralf W. Grosse-Kunstleve Pythe	on	1	
CRYSTALS Simple Datafile		1	

George Sheldrick

#### PROGRAM SMERG

#### С

C Fortran-77 sort-merge solution for Siena exercise

PARAMETER(NX=2000000)

INTEGER IH(NX),IK(NX),IL(NX),IP(NX),IQ(NX) REAL FF(NX),SI(NX),SY(12,24)

#### С

C Read data from standard input

#### С

READ(\*,'(/)') READ(\*,\*)NS READ(\*,\*)((SY(I,J),I=1,12),J=1,NS) NR=0

#### 1 N=NR+1

IF(N.GT.NX)STOP '\*\* Too many reflections \*\*' READ(\*,\*,END=5)IH(N),IK(N),IL(N),FF(N),SI(N) IP(N)=N NR=N

#### С

C Convert reflection indices to standard setting

#### С

U=REAL(IH(N)) V=REAL(IK(N)) W=REAL(IL(N)) DO 4 M=-1,1,2 DO 3 J=1,NS I=M\*NINT(SY(1,J)\*U+SY(4,J)\*V+SY(7,J)\*W) K=M\*NINT(SY(2,J)\*U+SY(5,J)\*V+SY(8,J)\*W) L=M\*NINT(SY(3,J)\*U+SY(6,J)\*V+SY(9,J)\*W) IF(L.LT.IL(N))GOTO 3 IF(L.GT.IL(N))GOTO 2 IF(K.LT.IK(N))GOTO 3 IF(K.GT.IK(N))GOTO 2 IF(I.LE.IH(N))GOTO 3 IH(N)=I

- IK(N)=K IL(N)=L
- 3 CONTINUE
- 4 CONTINUE GOTO 1
- etc

2

The program is self-contained, uses no obscure FORTRAN features, and with a little effort even the DO 4 ....4 CONTINUE loop can be understood

# Ralph Grosse-Kunstleve

# sort\_merge\_initial.py was written in exactly 30 minutes while # sitting in the audience as others explained their solutions. #

# It doesn't solve the exercise exactly, but demonstrates how to # work with the high-level cctbx facilities to solve most of the # exercise. Note that sort\_merge.py produces significantly more # information than was requested, e.g. the space group name, # data completeness, etc.

#### #

from cctbx.array family import flex from cctbx import crystal from cctbx import uctbx from cctbx import sqtbx from cctbx import miller import sys def run(args): assert len(args) == 1 lines = open(args[0]).read().splitlines() title = lines[0]unit cell = uctbx.unit cell(lines[1]) n symops = int(lines[2].split()[0]) space group = sgtbx.space group() for line in lines[3:3+n symops]: coeffs = [float(field) for field in line.split()] space group.expand smx(sqtbx.rt mx(coeffs[:9], coeffs[9:])) crystal symmetry = crystal.symmetry( unit cell=unit cell, space group=space group) miller indices = flex.miller index() data = flex.double()

sigmas = flex.double()
for i\_line in xrange(3+n\_symops,len(lines)):
 fields = lines[i\_line].split()
 assert len(fields) == 5

This was the tersest solution, and *almost* solved the problem as set.

On a computer with the full toolbox installed, the development environment enables the reader to backtrack to discover the functionality of the modules.

run(sys.argv[1:]) etc. 389596 reflections in total

# Program or User-Commands?

- George's solution is obviously a program in the classical sense.
- Ralph's solution is less clearly defined. It is evidently a program in that it instructs the computer, but it is more like a set of user commands in that the maths is hidden from view.
- *The advent of scripting languages blurs the line between programs and data.*

#### CRYSTALS

This data file causes CRYSTALS to perform much the same calculations as Ralph's program, in much the same time as George's.

File "job.dat"

#use start.dat #OPEN HKLI reflections.hkl #LIST 6 READ TYPE=FREE END #CLOSE HKLI #SYSTEMATIC END #SORT END #MERGE END File "start.dat"

#TITLE Trigonal bovine trypsin P3121 # 152 CuKa LIST 1 REAL 54.735 54.735 106.786 90 90 120 END #SPACEGROUP SYMBOL P 31 2 1 END File "reflections.hkl" 22 -3 -41 21.38 3.27 -2 6 -12 162.92 11.71 -19 4 -32 81.44 6.82

-13 -9 -51 16.44 3.87 etc. 389596 reflections in total,

### Topas - Alan Coelho

Coelho has developed a "crystallographic" language which enables the user to tailor a computation to the individual task.

This includes declaring new variables, and defining new calculations.

TOF LAM(0.001)

TOF\_x\_axis\_calibration(!t0, 3.88810, !difc, 4677.19027, !difa, 0.13451)

prm !exp1 7.15326 min 1 max 10

TOF\_Exponential(, 47.03716,, 109.24076, exp1, difc, +) push\_peak TOF\_Exponential(, 17.27854,, 3.43204, exp1, difc, +) bring\_2nd\_peak\_to\_top TOF\_Exponential(, 1431.31523,, 33.75847\_LIMIT\_MIN\_-13.5347376, exp1, difc, -) scale\_top\_peak 88.4790102 min .001 del = Val .05 + 1; add\_pop\_1st\_2nd\_peak

#### **Case Study:**

#### **Xtal and SHELXx**

You could run an X-ray laboratory using either of these packages. Why has Xtal almost

disappeared?

### Xray and Xtal

The first reference to Xray was about 1963, (Stewart, Kundell & Baldwin). This grew into a large system written in 'pidgin Fortran'

# Xray and Xtal

#### **XTAL: New Concepts in Program System Design**

#### S. R. Hall, James M. Stewart & Robert J. Munn

#### Acta Cryst. (1980). A36, 979-989

To try to get round implementation difficulties on different systems, the FORTRAN program was recast into RATMAC, a language that could be preprocessed into RATFOR, and then FORTRAN

### XTAL Modules



System Editor Syd Hall Co-Editors James Stewart Howard Flack Geoff King Doug du Boulay Roeli Olthof-Hazekamp

ABSORB	ADDATM	ADDREF	ATABLE	BAYEST	BONDAT
BUNYIP	CBAZA	CHARGE	CIFENT	CONTRS	CREDUC
CRILSQ	CRISP	CRYLSQ	DIFDAT	FC	FOURR
GENEV	GENSIN	GIP	LATCON	LISTFC	LSABS
LSLS	LSQPL	LSRES	MAPLST	MODEL	MODHKL
NEWCEL	NEWMAN	ORTEP	PATSEE	PIG	PLOTX
PREABS	PREVUE	REFCAL	REFM90	REGFE	REGWT
RFOURR	RIGBOD	RMAP	RSCAN	SHAPE	SHELIN
SLANT	SORTRF	STARTX	VUBDF	XTINCT	
### Formal Design

The X-ray system, and later the Xtal system, was a carefully managed project. It was designed to be maintainable and extensible. Documentation was an important feature.



### Even the documentation was documented

# Formal Design



In addition to a modest user guide, the authors also produced a very detailed description of the algorithms used.

In the 400-page Reference Manual, users could find out more or less exactly what each computation was doing.

Published 1990

# Informal Design

At about the same time that X-ray was morphing into Xtal, George Sheldrick was creating SHELX.

Note that there was no version number – GMS had no idea how important his creation was to become.

Documentation was minimal and the algorithms were not described in detail.

A definitive version was released in 1976 as SHELX76.

The original program, which can still easily be re-dimensioned to handle modestly large structures, was a complete system including data processing, structure solution, refinement and table generation.

# Informal Design

The 'single executable' program has inevitable maintenance problems when ever new features need to be added.

A more manageable model is to divide the overall problem into pieces that are more-or-less independent, and focus effort onto each problem in turn.

Over the years, GMS has released updated modules, e.g. SHELXS SHELXL SADABS

> SHELXD XP

The SHELX76 'system' has been divided into separate parts with a consistent data and instruction input style.

# System Design

	Pro	Con
Stand-alone dedicated programs	Easily <i>linked</i> to other systems	Difficult to <i>integrate</i> closely into other systems. Difficulties with sharing intermediate results
Closely Integrated system	Big increase in functionality for complex problems	High development cost Very high maintenance cost

# Why do Programs Die Out?

Inappropriate language

Too machine specific

Over-complex internal organisation

Outdated algorithms

Poorly Documented

Unacceptable user-interface

Over-proliferation of unwanted goodies

Small user-base

Licence Costs

No-one to support it



This can be aimed at by:

	SHELX	Xtal
Using a slowly-evolving language that is well characterised	X	
Not using proprietary extensions to the language	X	
Not using hardware specific facilities	X	Х
Easy to install/compile	X	
Making minimal or no use of external libraries	X	Χ
Providing definitive user-documentation	X	X
Providing worked examples	X	Χ
Having a well defined data structure that can be extended		X
Providing definitive programmer documentation		Х
Commenting the code, especially the little tweaks that have evolved to improve stability or functionality		X

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### **Xtal and SHELXx**

SHELXx	
Very large user-base	
Definitive editions	
Small, focussed, selection of options	
Terse instruction set	
Single, easily compiled, file	
Each job totally self contained	

### User Interface



#### **Bad Ideas**

- •Complex interface for a simple task
- •Over-simple interface for a complex task

#### **Good Ideas**

- •The user can easily get started on simple tasks
- •The user can form a mental image of the activity.

#### GPS example.

If you come across unexpected road works, you may need a map in order to suggest alternative routes to the instrument.



40 years of accumulated experience and development

A complete package from hkli files through to publication cifs *with the exception of structure solution*.

Collaboration with Sheldrick, Giacovazo and Palatinus provides seamless structure solution.

Internal code and seamless links to CIFcheck and PLATON provide structure validation.

# **Richness and Complexity**

CRYSTALS is a very 'rich' program – there are many hundreds of user-adjustable parameters.

*This provides the new user with a bewildering range of choices – it is too complex* 

"Scripts" enable an experienced crystallographer to produce pre-prepared, simplified, strategies for routine tasks.

### Home-made Interpreters

**SCRIPT COLLECT** 

**%END SCRIPT** 

A SCRIPT to help collect atoms into a molecule, or bring new peaks close to existing atoms. %% check we have an atom list IF EXISTS 5 .NE. 1 THEN 응 You do not have an atom list. FINISH 읒 END IF 응 응 BLOCK 응 ON ERROR REPEAT 응 QUEUE REWIND 응 CLEAR ŝ VERIFY ALL NEW NONE 읒 GET NOSTORE FINAL ABBREVIATED -'Collect all the atoms, or just the new peaks' 'NEW' IF VALUE .EQ. 1 THEN 응 응 INSERT 'SELECT TYPE = ALL' 응 **OUEUE SEND** 응 CLEAR 응 ELSE IF VALUE .EQ. 2 THEN INSERT 'SELECT TYPE = PEAKS' 응 응 OUEUE SEND CLEAR 응 응 ELSE 응 FINISH **'CRYSTALS' Issue 7 (Betteridge, Prout and** 응 END IF Watkin, Oxford, 1983) 응 END BLOCK COPY '#COLLECT' 응 QUEUE PROCESS COPY 'END' The program can enter a dialogue with the user.

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### 1995. Richard Cooper added a GUI. The Guide enables the user to apply chemical knowledge.



### **CRYSTALS 2000**

Most of the infra-structure needed to enable enhanced functionality to be added was in place for The Millennium.

Since then the underlying FORTRAN and user accessible features have continued to be developed in response to the communities

needs.



Publicity material, 2003

### Age Concern

As part of the EPSRC "Age Concern" project the group in Durham has shared complete access to CRYSTALS source code and SCRIPTS to help them develop their own user interface.



OLEX2: a complete structure solution, refinement and analysis program Oleg V. Dolomanov, Luc J. Bourhis, Richard J. Gildea, Judith A. K. Howard and Horst Puschmann



The project has also given rise to two refinement sub-systems.

#### smtbx/cctbx

"focusing on those key computational details which have been the treasures of the classic programs CRYSTALS or SHELX." ACA 2010: 07.26.4 Solution and Refinement with the cctbx and smtbx Luc Bourhis, Oleg Dolomanov, Richard Gildea, Judith Howard, Horst Puschmann

#### SMTK/cctbx

"provide a modelling design process, where the model formulation is kept separate from the optimization process."

SMTK – a small-molecule toolkit library for crystallographic modelling and refinement Mustapha Sadki\* and David J. Watkin J. Appl. Cryst. (2011). 44, 52–59



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### **SMTK**

Example. The equation of a 3D plane is:

A x + B y + C z + D = 0, divide by C, provided C is not zero.

 $\mathbf{a} \mathbf{x} + \mathbf{b} \mathbf{y} + \mathbf{z} + \mathbf{d} = \mathbf{0}$ 

The distance of any atom (x,y,z) from the plane is

**Distance** =  $| ax + by + z + d | / sqrt(a^2 + b^2 + 1)$ 

We must find the values of a,b and d which minimise the sum of the distance of all atoms of interest from the plane.

```
template<T>
    T Distance2Plane ( Array2D<T> &p , Array2D<> &data)
    {
        return abs(p[0]* data[0] + p[1]* data[1] + data[2] + p[2]) / sqrt( p[0]*p[0] + p[1]*p[1] +1);
        // instantiate the least squares object using the template function with optional
        arguments:
        bool need_covar = true;
        Im_solver<Distance2Plane> lsq(data_points, m, n, need_covar);
        // generates the lsq model f & f(x) and then we call for minimisation
        ret = lsq.minimise (Observation);
    }
}
```

### **Digital Computing**

Digital computers have revolutionised crystallography.

Has computing replaced thinking?

Bob Sparks matrix-accumulation benchmark (1976):

Microvax 3800 (1989)1,824 secs1.8Ghz Athlon, (2005)3secs3.0Ghz Intel Duo (2010)1sec

We can now do in **one day** what would have taken **three days** in 2005, and almost *five years* in 1990

### Molecular Recognition

The speed of instruments and computers is such that crystallographers have become the slowest link.

'The crystallographer uses intuitively the concept of similarity amongst structures in the survey of F-maps ... It appears desirable now to minimise such human effort ...'

Formal Aspects of the Interpretation of Fourier Maps, J.C.J. Bart & A. Busetti, Acta Cryst. (1976). A32, 927

Many programs can check if a crystal structure corresponds to a proposed structure. If the match is not exact, it becomes difficult to make a machine-hypothesis about the nature of the differences.

Often a chemist can just glance at the structure and decide if it is feasible or not.

### macHine valiDATion

Word Processors have shown us both the *power and* **the risks of** machine valldation of routine tasks.

spelling & grammar checks, **automated** ca $\pi$ italisation *etc*. filter out MANY errors, but it an experienced reader is still required to review the final documen T.



### **Regression to the 1990's**

Once again, we are trying to teach computers some chemistry.

Spotting that a proposed structure is correct is not difficult. Spotting if it is nearly correct (and in what way it is incorrect) is much more difficult.

O=S(c1Ncc(C)cc1)(NC(COC(C2=NC=C2)=O)C(OC)=O)=F



Dave Brown is working on a project to use chemical information in the form of SMILES strings to help analyse proposed structure solutions and unpick disorder.

### The Future: The Microsoft Syndrome

1950

"These were adventurous times in which anything might be possible if one was inventive enough."

2010

"If it's not on a menu, it cannot be done"

The user-community is no longer excited by computers

The GUI must encode the strategy to be applied to the underlying maths.

### A Test

# Crystallography students now lack the skills to test ideas for them selves.

Take an hklf4 file, reject all reflections

where h+k+l = 5nand where  $I/\sigma(I)$  is less than 5.0

and output a new, properly formatted, hklf4 file



The early computing schools documented some of the internal workings of programs and details not reported in journals.

Technical details published in journals are dispersed and un-catalogued.

Programs dedicated to a single task are most easily understood by users.

However, productivity can be increased by grouping tasks together into a system.

Documentation for both users and programmers becomes an exponential problem for large systems.

The cost of maintenance usually means that such systems are difficult to support in the long term

In collaborative projects, programming anarchy (sometimes called creativity) can turn the whole enterprise into a house of cards.

Users don't like change.

Users don't like choice.